



Model-Based and Learning-Based Approaches for Speech Enhancement and Source Localization

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EUSIPCO 2023 – September 8, 2023



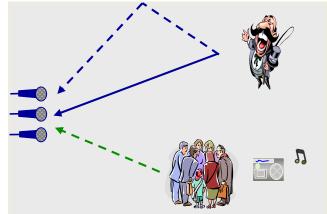
a boutique du BVAT presente cette semaine:

Introduction



Speech communication applications

- Acoustic environment : target speaker + ambient noise, competing speakers, reverberation
- Degradation of speech quality/intelligibility and speech recognition performance







Introduction



- Speech enhancement algorithms: extract target speaker by performing
 - Noise reduction
 - Dereverberation
 - Source separation
- Requirements for speech communication applications:
 - Low speech distortion
 - On-line processing (low-latency)
 - Generalization / robustness to varying acoustic conditions (moving sources/microphones, SNRs, ...)
 - Computational complexity





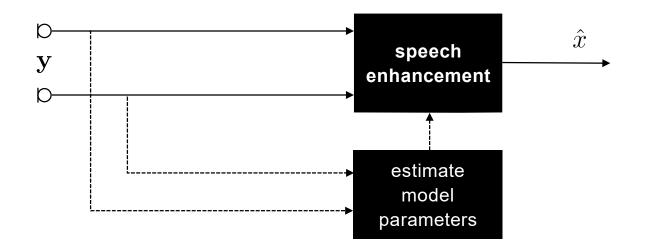






Speech enhancement algorithms:

- single microphone (spectro-temporal) \rightarrow multiple microphones (spatial)
- model-based approaches (estimation of model parameters)



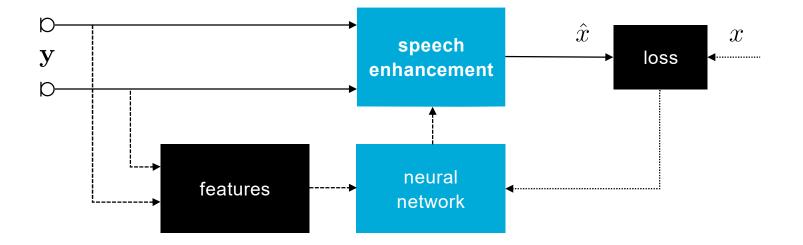


Introduction



Speech enhancement algorithms:

- single microphone (spectro-temporal) \rightarrow multiple microphones (spatial)
- model-based approaches (estimation of model parameters)
- learning-based approaches (supervised learning using deep neural networks)
- hybrid approaches (combination of model-based and learning-based)

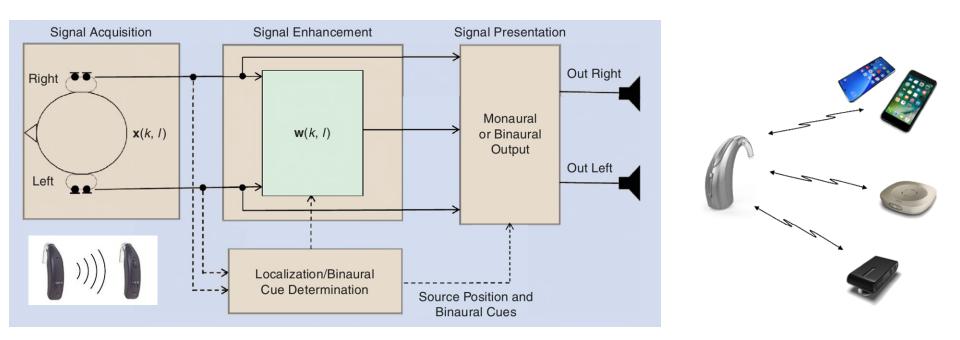




This presentation



- Focus on binaural assistive listening devices
- On-line approaches (model-based, deep learning-based, hybrid) for multi-microphone noise reduction and source localization
- Exploit spatially distributed microphones in acoustic sensor networks





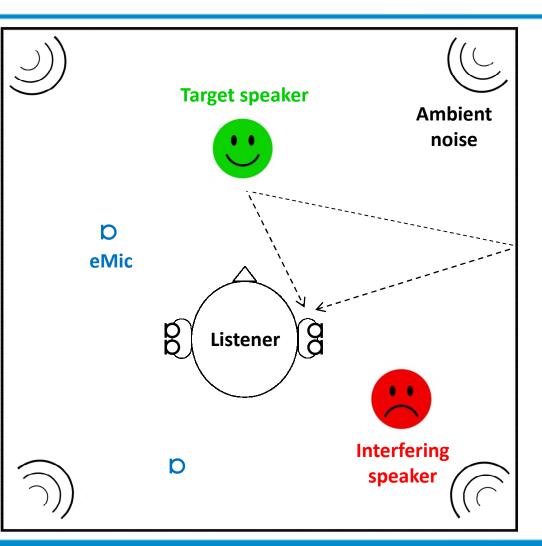




Acoustic scenario



- Assistive listening device with M microphones
- Multiple speakers in noisy and reverberant environment
- External microphones (eMics)





I: time / frame index



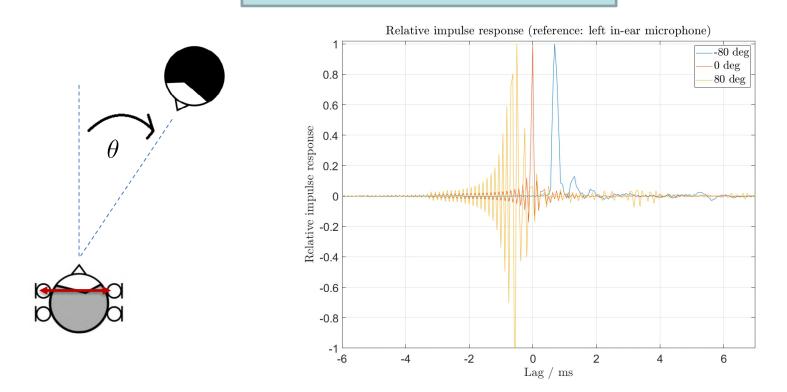
Transform / encoder domain (e.g. short-time Fourier transform)



Relative transfer functions



$$\mathbf{y}(k,l) = \mathbf{a}(k,l)x_1(k,l) + \mathbf{u}(k,l)$$



RTF vector $\mathbf{a}(k, l)$ encodes **direction-of-arrival** (DOA) θ of source



 $\mathbf{y}(k,l)$

Multi-microphone speech enhancement

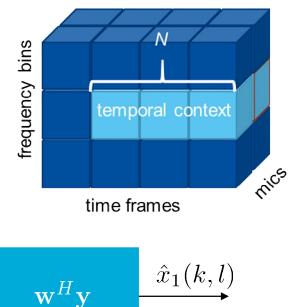


$$\mathbf{y}(k,l) = \mathbf{a}(k,l)x_1(k,l) + \mathbf{u}(k,l)$$

- **Objective:** estimate clean speech component in reference microphone $x_1(k, l)$ from noisy and reverberant microphone signals $\mathbf{y}(k, l)$
 - 1. Non-linear vs. linear filtering (with/without filter structure)

 $f(\mathbf{y})$

- 2. "Traditional" statistical estimation methods vs. supervised learning methods
- **3. Single-frame vs. multi-frame input vector**



 $\mathbf{y}(k,l)$

 $\hat{x}_1(k,l)$





• Parametric multi-channel Wiener filter (MWF): linear filtering based on filter-and-sum structure

Objective: estimate speech component + trade off speech distortion vs. reduction of undesired component

$$\min_{\mathbf{w}} \mathcal{E}\{|\mathbf{w}^H \mathbf{x} - x_1|^2\} + \mu \mathcal{E}\{|\mathbf{w}^H \mathbf{u}|^2\}$$

$$\mathbf{w}_{MWF} = (\mathbf{\Phi}_x + \mu \mathbf{\Phi}_u)^{-1} \mathbf{\Phi}_x \mathbf{e}$$

→ **requires** estimate of covariance matrices (= *model parameters*)

Use signal model to decompose as **minimum-variance-distortionless-response** (MVDR) beamformer and spectral postfilter

 \Rightarrow

$$\mathbf{w}_{MWF} = \underbrace{\frac{\boldsymbol{\Phi}_{u}^{-1}\mathbf{a}}{\mathbf{a}^{H}\boldsymbol{\Phi}_{u}^{-1}\mathbf{a}}}_{\boldsymbol{\Phi}_{u}^{-1}\mathbf{a}} \underbrace{\frac{\phi_{x_{1}}}{\phi_{x_{1}} + \mu(\mathbf{a}^{H}\boldsymbol{\Phi}_{u}^{-1}\mathbf{a})^{-1}}}$$

 \rightarrow **requires** estimate of undesired covariance matrix, relative transfer function (RTF) vector of target speaker, and power spectral densities (PSDs) of speech and undesired components (= *model parameters*)





• Multi-frame extension:

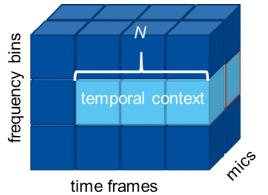
- Consider multiple frames: current and past frames (on-line processing)

$$\bar{\mathbf{y}}_m(k,l) = \left[y_m(k,l) \ y_m(k,l-1) \ \dots \ y_m(k,l-N+1) \right]$$

- Multi-frame speech vector $\bar{\mathbf{x}}_m(k,l)$ can be decomposed into **temporally** correlated and uncorrelated components:

$$\bar{\mathbf{x}}_m(k,l) = \boldsymbol{\gamma}_x(k,l) x_m(k,l) + \bar{\mathbf{x}}'_m(k,l) \qquad \boldsymbol{\gamma}_x(k,l) = \frac{\mathcal{E}\{\bar{\mathbf{x}}_m(k,l)x_m^*(k,l)\}}{\mathcal{E}\{|x_m(k,l)|^2\}}$$

- Speech interframe correlation vector $\gamma_x(k,l)$ depends on sound (e.g., voiced vs. unvoiced) \rightarrow highly time-varying







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- Speech interframe correlation vector $\gamma_x(k,l)$ depends on sound (e.g., voiced vs. unvoiced) \rightarrow highly time-varying
- Signal model:

$$\bar{\mathbf{a}}(k,l) = \mathbf{a}(k,l) \otimes \boldsymbol{\gamma}_x(k,l)$$

RTF vector of target speaker (time-varying, acoustic environment)

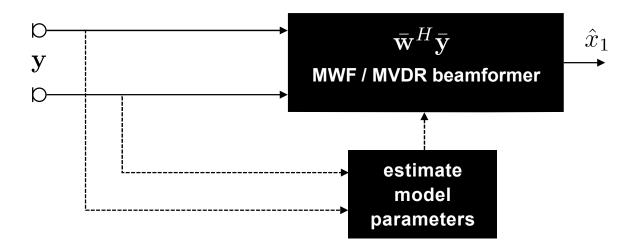
Interframe correlation vector (highly time-varying, speech)





• "Traditional" statistical estimation of parameters (requiring assumptions)

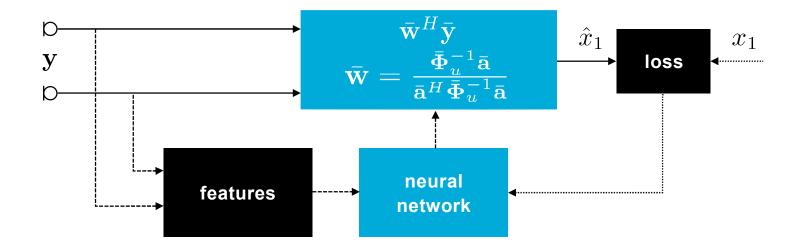
- *Covariance matrices, power spectral densities*, e.g., assuming that undesired component is more stationary than speech component, reverberation is diffuse
- *Relative transfer function (RTF) vector of target speaker*, e.g., assuming anechoic propagation, known source activity, spatially distributed microphones and uncorrelated undesired component
- Speech interframe correlation vector (IFC), e.g., using subspace-based estimators but difficult to accurately estimate since highly time-varying







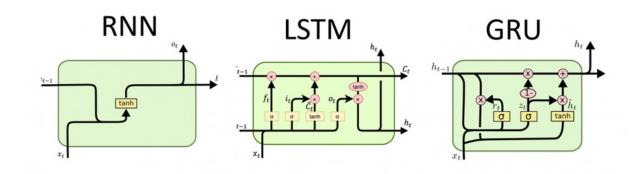
- **Supervised learning** by minimizing loss function (assumptions in training data)
 - Directly estimate filter coefficients: single-frame/masking or multi-frame/deep filtering, e.g. [Mack 2019]
 - Hybrid approach : impose filter structure and estimate parameters in end-to-end fashion, e.g. ADL-MVDR [Zhang 2021], mask-based neural beamforming [Ochiai 2023], deep MFMVDR [Tammen 2023], DeepFilterNet [Schröter 2023]







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- Neural network architectures:
 - Long short-term memory (LSTM), transformer, temporal convolutional networks (TCN)
 - For computational complexity reasons often gated recurrent units (GRU)







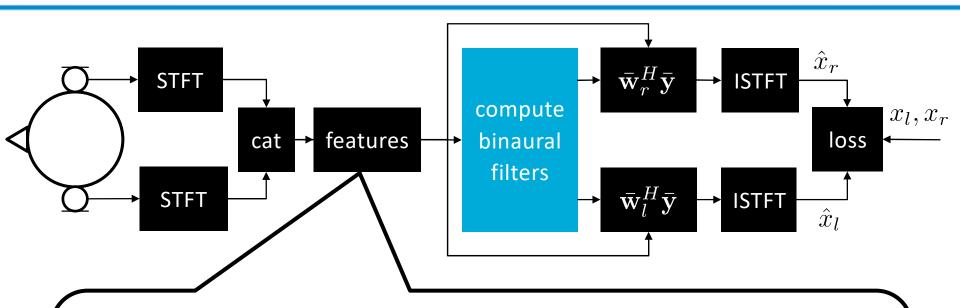
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• Loss functions:

- Mostly defined in time-domain after reconstruction (iSTFT) / decoding
- Mean-square error (MSE), scale-invariant signal-to-distortion ratio (SI-SDR), mean absolute spectral error, psycho-acoustically motivated loss function

$$\|\hat{\mathbf{x}} - \mathbf{x}\|^2 = 10 \log_{10} \frac{\|\alpha \mathbf{x}\|^2}{\|\hat{\mathbf{x}} - \alpha \mathbf{x}\|^2} = \beta |\hat{x}(k, l) - x(k, l)| + (1 - \beta) \left| |\hat{x}(k, l)| - |x(k, l)| \right|$$





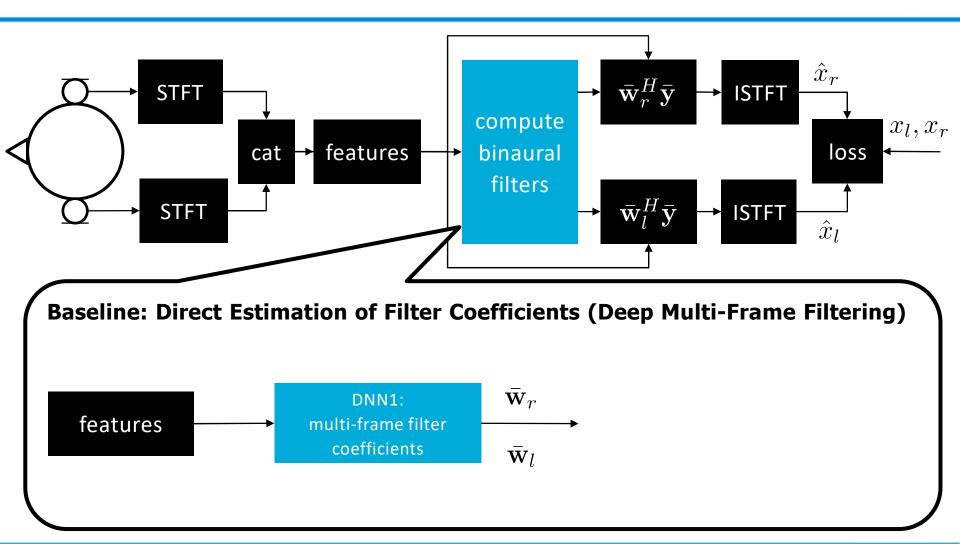
Features: multi-channel concatenation of

- 1. logarithm of noisy magnitude
- 2. cosine of noisy phase
- 3. sine of noisy phase

CAR

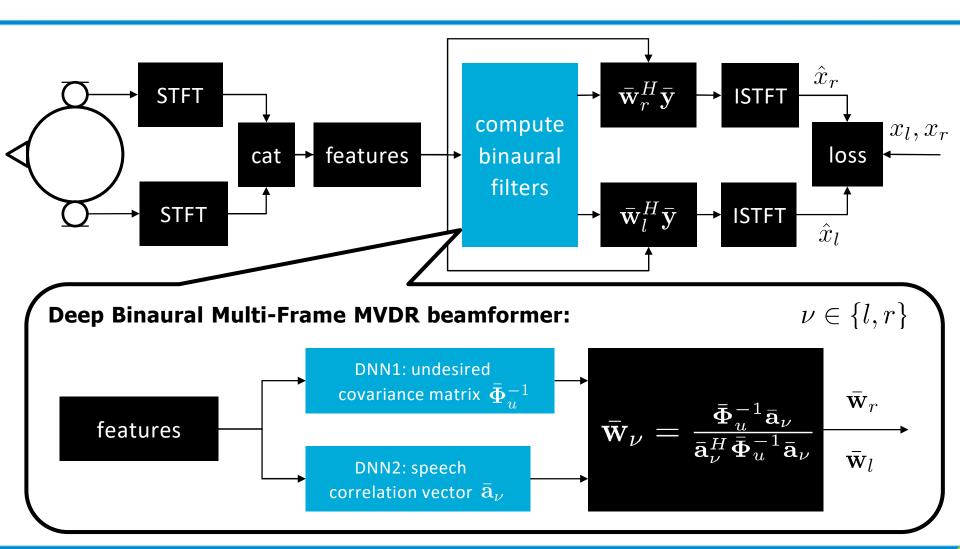
univers





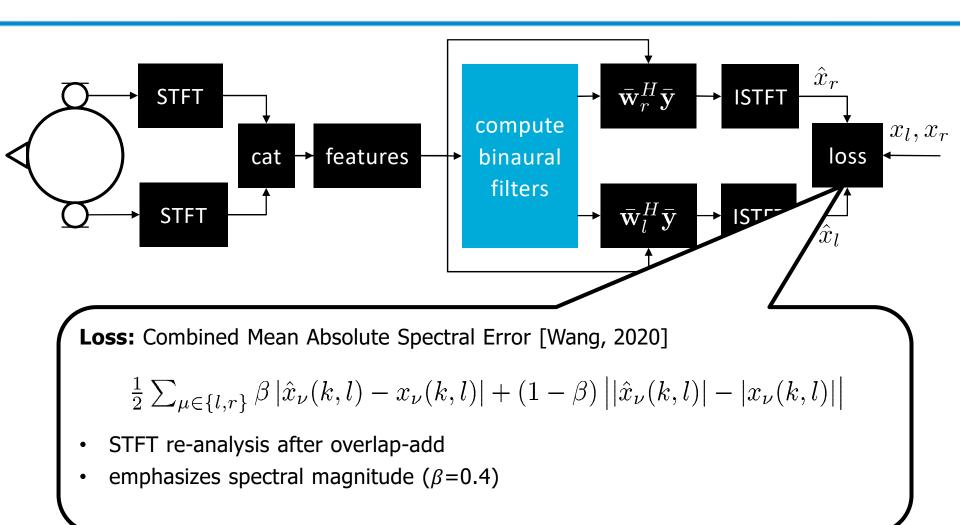
[Tammen & Doclo, Proc. IWAENC 2022, IEEE/ACM TASLP 2023]





[Tammen & Doclo, Proc. IWAENC 2022, IEEE/ACM TASLP 2023]





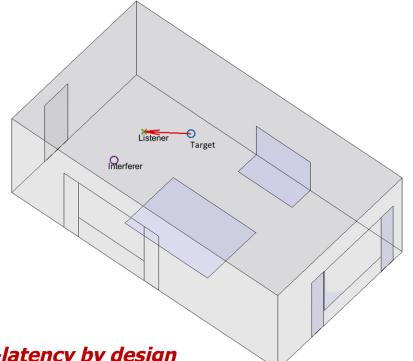






• Datasets and settings

	training	testing			
speech	DNS3 train set	DNS1 test set			
noise					
Room impulse responses	Clarity challenge (simulated)	Kayser database (measured)			
Reverberation time (T ₆₀)	200 – 400 ms				
SNRs	0 - 15 dB	-5 - 20 dB			
length	100 h	17 min			

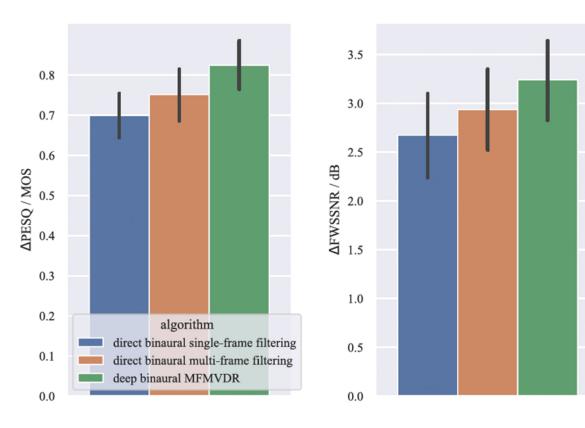


- $f_s = 16$ kHz, STFT: 8 ms frames, 2 ms shift \rightarrow *low-latency by design*
- N = 5 frames for mult-frame filter \rightarrow 16ms context
- DNNs: causal temporal convolutional networks
- Adam optimizer, learning rate: 0.0003, training for 150 epochs (early stopping)





• Objective performance metrics



- Benefit of multi-frame filtering vs. single-frame filtering
- Benefit of imposing multiframe MVDR filter structure







clean	
noisy	
binaural multi- frame filter, direct estimation	
binaural multi- frame filter, MVDR structure	













• Computational complexity

algorithm	trainable weights / M	bottleneck dimension	memory / MB	RTF	RTF contribution, MFMVDR / %
deep MFMVDR (SPP)	5.3	231	195.6	0.176	54.9
deep MFMVDR (RS)	4.9	128	137.3	0.167	47.9
deep MFMVDR (CD)	5.3	128	110.9	0.139	39.0
deep MFMVDR (PDT)	5.1	128	93.3	0.170	43.4
deep MFMVDR (R1)	5.1	128	85.2	0.100	7.5
masking (real)	5.0	226	30.2	0.075	0.0
masking (complex)	5.0	226	28.5	0.077	0.0
DMFF	5.2	226	29.5	0.079	0.0

- Real-time capability of all algorithms
- Deep MFMVDR filter computationally more complex than direct multi-frame filter (DMFF), mainly due to additional linear algebra operations
 - \rightarrow can be alleviated by assuming rank-1 (R1) structure

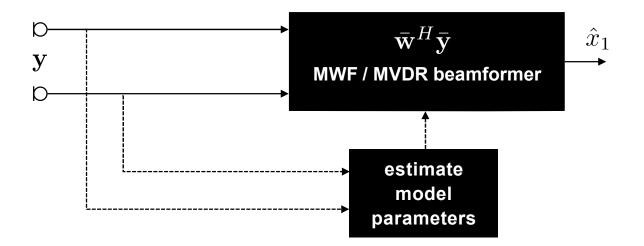
single core of AMD EPYC 7443P CPU clocked at 3.8 GHz; 10 s-long signals





• "Traditional" statistical estimation of parameters (requiring assumptions)

- *Covariance matrices, power spectral densities,* e.g., assuming that undesired component is more stationary than speech component, reverberation is diffuse
- *Relative transfer function (RTF) vector of target speaker*, e.g., assuming anechoic propagation, known source activity, spatially distributed microphones and uncorrelated undesired component
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External microphones

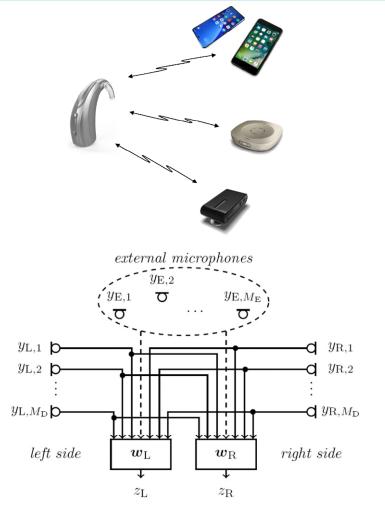


 Exploit the availability of one or more external microphones (acoustic sensor network) with hearing aids

[Bertrand 2009, Szurley 2016, Yee 2018, Farmani 2018, Kates 2018, Ali 2019, Corey 2021, Gößling 2021]

- Integrate external microphone(s) with hearing aid microphones for:
 - Low-complexity method to estimate relative transfer function (RTF) vector of target speaker
 - Improved noise reduction and binaural cue preservation performance

$$\mathbf{w}_L = \frac{\mathbf{\Phi}_v^{-1} \mathbf{a}_L}{\mathbf{a}_L^H \mathbf{\Phi}_v^{-1} \mathbf{a}_L}, \quad \mathbf{w}_R = \frac{\mathbf{\Phi}_v^{-1} \mathbf{a}_R}{\mathbf{a}_R^H \mathbf{\Phi}_v^{-1} \mathbf{a}_R}$$



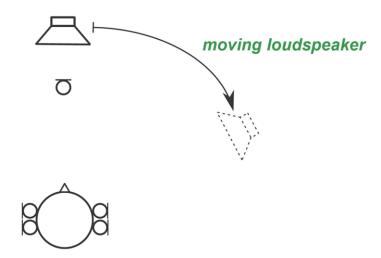


RTF vector estimation exploiting external microphone



30

- Estimate RTF vector of target speaker to steer binaural MVDR beamformer
- Spatial coherence method: assume that noise components in external microphone and HA microphones are uncorrelated, e.g., when external microphone is spatially separated from HA microphones + diffuse noise field



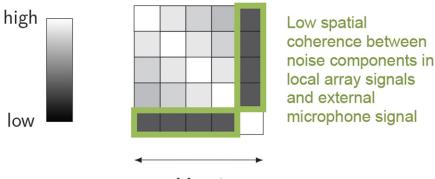
$$\hat{\mathbf{w}}_L = rac{\hat{\mathbf{\Phi}}_v^{-1} \hat{\mathbf{a}}_L}{\hat{\mathbf{a}}_L^H \hat{\mathbf{\Phi}}_v^{-1} \hat{\mathbf{a}}_L}$$



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- Estimate RTF vector of target speaker to steer binaural MVDR beamformer
- Spatial coherence method: assume that noise components in external microphone and HA microphones are uncorrelated, e.g., when external microphone is spatially separated from HA microphones + diffuse noise field
 - \rightarrow correlate HA microphone signals with external microphone signals and normalize by reference element



$$\hat{\mathbf{a}}_L = rac{\hat{\mathbf{\Phi}}_y \mathbf{e}_E}{\mathbf{e}_L^T \hat{\mathbf{\Phi}}_y \mathbf{e}_E}, \quad \hat{\mathbf{a}}_R = rac{\hat{\mathbf{\Phi}}_y \mathbf{e}_E}{\mathbf{e}_R^T \hat{\mathbf{\Phi}}_y \mathbf{e}_E}$$

Unbiased estimate of elements corresponding to HA microphones

M + 1

 Low computational complexity with similar (even better in practice) performance than state-of-the-art covariance whitening approach



Audio Demo



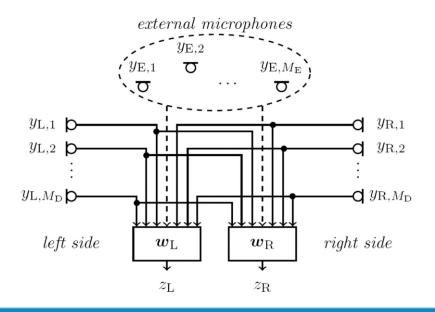




MVDR beamformer exploiting external microphones



 Extensions for multiple external microphones, acoustic scenarios with multiple competing speakers and smart speaker scenario



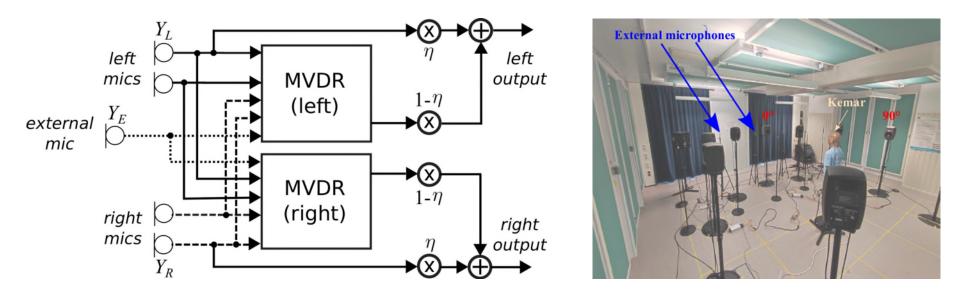
[Gößling et al., Proc. WASPAA 2019] [Gößling et al., Proc. IEEE/ACM TASLP, 2021] [Middelberg, Gode, Doclo, Proc. WASPAA 2023] 33



MVDR beamformer exploiting external microphones

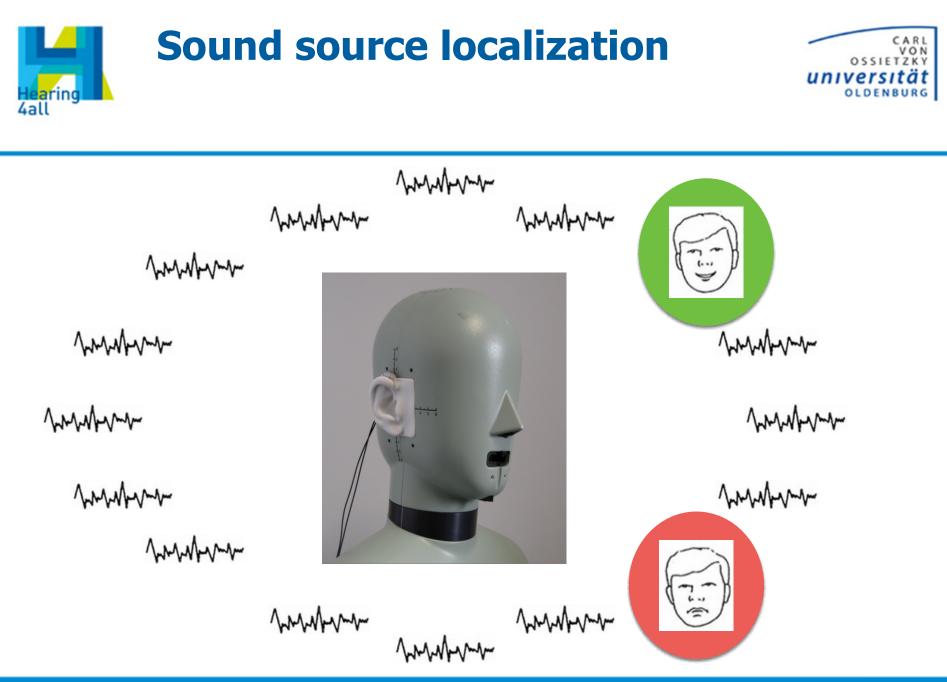


- Extensions for multiple external microphones, acoustic scenarios with multiple competing speakers and smart speaker scenario
- Binaural cue preservation of complete acoustic scene by using partial noise estimation
- Publicly available database with hearing aids and spatially distributed microphones (https://zenodo.org/record/7986447)













1. Model-based approaches

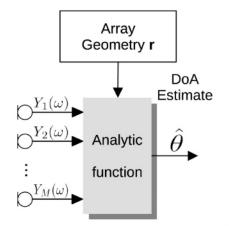
- Computation of **analytical function** (spatial pseudo-spectrum), typically based on prototype anechoic (relative) transfer functions $\tilde{\mathbf{a}}(k, \theta_i)$
 - Beamforming, e.g. steered response power [DiBiase 2000, Zouhourian 2018]
 - Subspace-based, e.g. MUSIC [Schmidt 1986], [Dmochowski 2007]
 - *Relative transfer function matching* [Braun 2015, Fejgin 2022]

 $p(k, l, \theta_i) = \frac{\tilde{\mathbf{a}}^H(k, \theta_i) \hat{\Phi}_y(k, l) \tilde{\mathbf{a}}(k, \theta_i)}{\|\tilde{\mathbf{a}}(k, \theta_i)\|_2^2 \|\mathbf{y}(k, l)\|_2^2}$

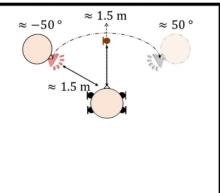
$$p(k, l, \theta_i) = \frac{1}{\|\hat{\mathbf{Q}}_u^H(k, l)\tilde{\mathbf{a}}(k, \theta_i)\|_2}$$

$$p(k, l, \theta_i) = \arccos \frac{|\mathbf{\tilde{a}}^H(k, \theta_i) \mathbf{\hat{a}}(k, l)|}{\|\mathbf{\tilde{a}}(k, \theta_i)\|_2 \|\mathbf{\hat{a}}(k, l)\|_2}$$

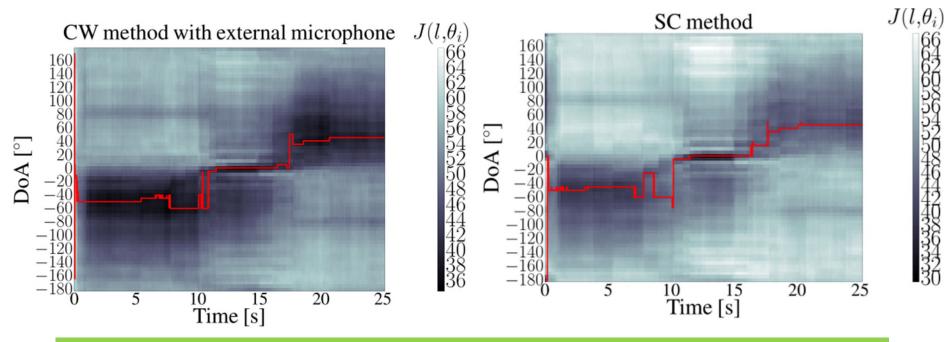
- Requires frequency integration/fusion mechanism
- Prototype (relative) transfer functions can be computed from microphone array geometry/characteristics
 → flexibility towards different array geometries







□ Simulation results with external mic for **moving speaker**



External microphone allows to estimate DOA accurately at low computational complexity without need to estimate noise covariance matrix

 $T_{60} \approx 400$ ms, M=4 (BRIR), recorded diffuse babble noise, SNR = 0 dB; $f_s = 16$ kHz; STFT: 32ms (overlap 16ms); CW: $\tau_y = 150$ ms, $\tau_v = 500$ ms; SPP in head-mounted mics

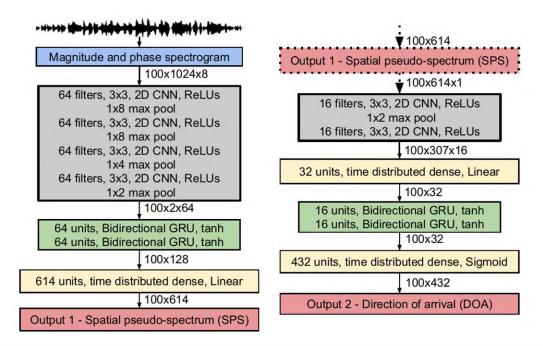
[Fejgin & Doclo, Proc. EUSIPCO 2021]





2. Learning-based approaches [Grumiaux et al., JASA 2022]

- Learn relationship between input features and DOAs (classification / regression)
- Input features: spectrogram, inter-channel features (e.g. relative transfer functions)
- Neural network architectures: convolutional (recurrent) neural networks, attention-based networks, ...

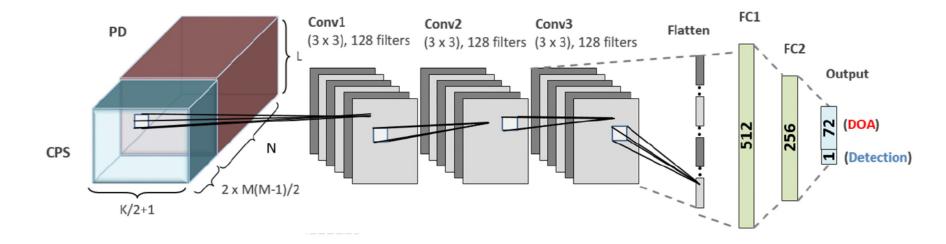






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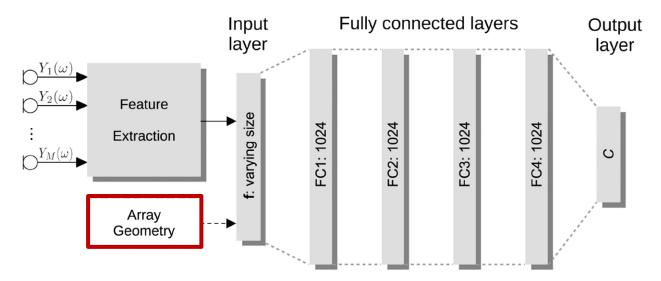






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- Input features: spectrogram, inter-channel features (e.g. relative transfer functions)
- Neural network architectures: convolutional (recurrent) neural networks, attention-based networks, ...
- Training data implicitly based on underlying array geometry
 - \rightarrow geometry-aware DOA estimation

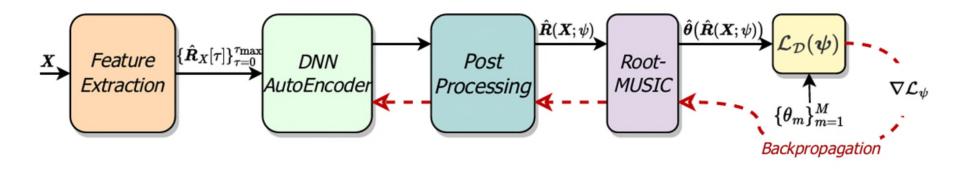






3. Hybrid approaches

- Combination of model-based and learning-based approaches
 - $\rightarrow\,$ merge interpretability of model-based approaches with ability to learn from real data
 - $\rightarrow\,$ more flexible at lower computational complexity
- Examples:
 - End-to-end learning of masks for signal-aware DOA estimation using weighted steered response power method [Wechsler et al., 2022]
 - Deep learning-aided subspace methods [Shmuel et al., 2023]



- Model-based and learning-based approaches for multi-microphone speech enhancement and source localization
- Hybrid approaches combining models with deep learning:
 - Interpretability of model-based approaches without perfectly satisfying model assumptions
 - **Performance** of learning-based approaches
 - Generalizability to unseen situations (dynamic acoustic scenes)
 - Especially useful for **low-complexity** applications
- Challenges and opportunities:
 - **Optimal trade-off** between latency, complexity and performance
 - Best hybrid compromise between model-based and learning-based approaches
 - Microphone geometry-independent/aware learning-based algorithms
 - Explore advantages of unsupervised/semi-supervised algorithms









Acknowledgments











Henri Gode





Ulrik Kowalk



Dr. Daniel Marquardt



Wiebke Middelberg



Marvin

Tammen



Reza Varzandeh

Funding:

Cluster of Excellence Hearing4all (DFG)

Dr. Nico

Gößling

- Collaborative Research Centre Hearing Acoustics (DFG)
- Joint Lower-Saxony Israel Project "Acoustic scene aware speech enhancement for binaural hearing aids"
- Marie Skłodowska-Curie Actions European Training Network SOUNDS













Questions ?

http://www.sigproc.uni-oldenburg.de You Tube Signal Processing Uni Oldenburg

